Oxidation and Reduction Potentials and Electron-Transfer Interactions in Photoexcited States¹⁾

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In this paper we discuss the oxidation and reduction potentials of a solvated redoxcouple in photoexcited states, these being the extension of our foregoing theoretical treatment pertinent to the energetics of sequential electrooxidation $(E_{1/2}^{\rm oxd})$ and reduction $(E_{1/2}^{\rm red})$ steps. After formulating the ionization potential and electron affinity of solvated molecules by using the $E_{1/2}^{\rm oxd}$ and $E_{1/2}^{\rm red}$ values, the equations on the oxidation $(E_{1/2, \rm exc}^{\rm oxd})$ and reduction $(E_{1/2, \rm exc}^{\rm red})$ potentials in excited states are derived. From these the important relation $(E_{1/2, \rm exc}^{\rm oxd}) = (E_{1/2}^{\rm oxd} + E_{1/2}^{\rm red})$ is obtained. For the case of a benzenoid alternant hydrocarbon (BAH) the above left-hand-side summation would become constant. Also, the mutual correlation of the $E_{1/2, \rm exc}^{\rm oxd}$ or $E_{1/2, \rm exc}^{\rm red}$ value at 1L_a excited state to the $E_{1/2}^{\rm red}$ or $E_{1/2}^{\rm oxd}$ potential at ground state is discussed for BAH's. Finally the electron-transfer interaction between an electron donor and an electron acceptor has been considered in photoexcited states by virtue of oxidation and reduction potentials. The equation thus obtained is of the same type as that formulated semiempirically by Rehm and Weller. Our treatment provides theoretical background for the Rehm and Weller equation.

In previous papers we reported the general treatment of the energetics of sequential electroreduction and electrooxidation steps of organic substances by applying thermodynamic energy cycles and SCFMO calculations.²⁻⁴⁾ In this paper we have extended this procedure to electronic excited states to derive the general formulas of oxidation ($E_{1/2-\text{exc}}^{\text{oxd}}$) and reduction ($E_{1/2-\text{exc}}^{\text{red}}$) potentials in excited states. Using the equations thus obtained the mutual relation of $E_{1/2-\text{exc}}^{\text{oxd}}$ and $E_{1/2-\text{exc}}^{\text{red}}$ is discussed and also electron-transfer interactions between electron donors and acceptors at photoexcited states are formulated and discussed in comparison with the semiempirical equation proposed by Rehm and Weller.⁵⁾

Results and Discussion

Ionization Potential and Electron Affinity in Solvents and at Excited Electronic States. From the foregoing papers²⁻⁴⁾ we know that the first oxidation $(E_{1/2}^{\text{oxd}})$ and reduction $(E_{1/2}^{\text{red}})$ potentials for reversible redox systems in the ground state are given by Eqs. 1 and 2 in eV unit, respectively.

$$E_{1/2}^{\text{oxd}}(R^{+}/R) = \Delta G^{\circ} - \varepsilon_{\text{ho}} + \Delta E_{\text{solv}}^{+}$$
 (1)

$$E_{1/2}^{\text{red}}(R^{-}/R) = \Delta G^{\circ} - \varepsilon_{\text{lu}} - \Delta E_{\text{solv}}^{-}$$
 (2)

where the absolute potential of a reference electrode is expressed by ΔG° and where $\Delta E^{-}_{\text{solv}} = (E^{-}_{\text{solv}} - E_{\text{solv}})$ and $\Delta E^{+}_{\text{solv}} = (E^{+}_{\text{solv}} - E_{\text{solv}})$ are the solvation energy differences (negative values) between monoanion or monocation and neutral species. Under the Koopmans theorem⁶⁾ electron affinity (EA) equals $-\varepsilon_{\text{lu}}$ and ionization potential (IP) equals $-\varepsilon_{\text{ho}}$, where ε_{lu} and ε_{ho} are respectively LUMO and HOMO energies. We can now rewrite the Eqs. 1 and 2 as Eqs. 3 and 4, respectively.

$$IP_{\text{solv}} = E_{1/2}^{\text{oxd}} - \Delta G^{\circ} = IP + \Delta E_{\text{solv}}^{+}$$
 (3)

$$EA_{\text{solv}} = E_{1/2}^{\text{red}} - \Delta G^{\circ} = EA - \Delta E_{\text{solv}}^{-}$$
 (4)

Here, it is easily understood that the $(E_{1/2}^{\rm oxd}-\Delta G^{\circ})$ should correspond to IP in solvents $(IP_{\rm solv})$, and the $(E_{1/2}^{\rm red}-\Delta G^{\circ})$ to EA in solvents $(EA_{\rm solv})$. Since $\Delta G^{\circ}=-4.40$ eV,⁴⁾ $IP_{\rm solv}$ and $EA_{\rm solv}$ would be easily evaluated by measuring the $E_{1/2}^{\rm oxd}$ and the $E_{1/2}^{\rm red}$ values, respectively; i.e., $IP_{\rm solv}$ decreases by $|\Delta E_{\rm solv}^+|$ from the IP in a gas phase, but $EA_{\rm solv}$ increases by $|\Delta E_{\rm solv}^-|$ from the gas phase EA.

Let us now consider the ionization potential $(IP^{\rm exc})$ and electron affinity $(EA^{\rm exc})$ in an excited stage $(\Delta E^{\rm UV})$. We can write as $\Delta E^{\rm UV} = (E_{\rm t}^{\rm exc} - E_{\rm t})$ by employing the total energies in the ground $(E_{\rm t})$ and excited states $(E_{\rm t}^{\rm exc})$, so this $\Delta E^{\rm UV}$ value means the adiabatic 0-0 transition energy. Since the gas-phase ionization potential $(IP^{\rm exc})$ in the excited state of $\Delta E^{\rm UV}$ may be given by $IP^{\rm exc} = (E_{\rm t}^+ - E_{\rm t}^{\rm exc})$ in the total energy expression, and since $E_{\rm t}^{\rm exc} = E_{\rm t} + \Delta E^{\rm UV}$, $IP^{\rm exc} = (IP - \Delta E^{\rm UV})$ because of $(E_{\rm t}^+ - E_{\rm t}) = IP$ in a ground gas state. Of course, as stated before, the IP equals $-\varepsilon_{\rm ho}$ in the approximation of Koopams' theorem (Eq. 1).

Alternatively, ε_{lu} in Eq. 2 corresponds to the total energy difference written as $(E_t^- - E_t)$ so that the $EA = (E_t - E_t^-)$ in the ground state.²⁻⁴⁾ This treatment may lead to the expression $EA^{\rm exc} = (E_t^{\rm exc} - E_t^-)$, then the relation of $EA^{\rm exc} = (EA + \Delta E^{\rm UV})$ is clear. The values of IP, $IP_{\rm solv}$, EA, and $EA_{\rm solv}$, as well as $E_{1/2}^{\rm oxd}$ and $E_{1/2}^{\rm red}$, are listed in Table 1 for benzenoid alternant hydrocarbons (BAH), these being assessed on the basis of our foregoing studies.^{2-4,7)}

Oxidation and Reduction Potentials in Excited States. Referring to the Eqs. 3 and 4 we can now formulate the oxidation $(E_{1/2 \cdot \text{exc}}^{\text{oxd}})$ and reduction $(E_{1/2 \cdot \text{exc}}^{\text{red}})$ potentials in the ΔE^{UV} excited state as follows:

$$E_{1/2 \cdot \text{exc}}^{\text{oxd}} = \Delta G^{\circ} + IP - \Delta E^{\text{UV}} + \Delta E_{\text{solv}}^{+ \cdot \text{exc}}$$
 (5)

$$E_{1/2 \cdot \text{exc}}^{\text{red}} = \Delta G^{\circ} + EA + \Delta E^{\text{UV}} - \Delta E_{\text{solv}}^{-\cdot \text{exc}}$$
 (6)

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Table 1. Electrochemical Data, *IP*, and *EA* of Benzenoid Alternant Hydrocarbons in the Ground State and the ¹L_b and ¹L_a Excited States^{a)}

Compound	Ground state						Excited state $({}^{1}L_{a}/{}^{1}L_{b})^{b}$				
	E _{1/2} ^{oxd} V vs. SCE	$\frac{E_{1/2}^{\text{red}}}{\text{V vs. SCE}}$	- IP eV	EA eV	$\frac{\mathit{IP}_{solv}}{eV}$	$\frac{EA_{\rm solv}}{{\rm eV}}$	$\frac{\Delta E^{\rm UV}}{{\rm eV}} \ .$	IP ^{exc} eV	$\frac{EA^{\rm exc}}{\rm eV}$	$\frac{E_{1/2 \cdot \text{exc}}^{\text{oxd}}}{\text{V vs. SCE}}$	$\frac{E_{1/2 \cdot \text{exc}}^{\text{red}}}{\text{V vs. SCE}}$
						4.76	4.49	3.64	-2.08	1.18	
Naphthalene	(1.81)	-2.56	8.15	0.152	6.21	1.84	4.35	3.80	4.50	-2.54	1.79
							4.17	3.98	4.32	-2.36	1.61
Anthracene	1.32	-1.99	7.47	0.552	5.72	2.41	3.31	4.16	3.86	-1.99	1.32
							_	_		_	
Naphthacene	0.98	-1.60	7.04	_	5.38	2.80	2.60	4.44		-1.62	1.00
										_	_
Pentacene	(0.78)	-1.33	6.74	_	5.18	3.07	2.13	4.61		-1.35	0.80
							2.90	3.84	_	-2.12	1.57
Phenanthrene	(1.74)	-2.48	7.86	0.308	6.14	_	4.23	3.63	4.54	-2.49	1.75
							3.59	4.27	3.90	-1.85	1.11
Benz[a]-	1.39	-2.03	7.47	0.696	5.79	2.37	3.49	3.98	4.19	-2.10	1.46
anthracene							3.22	4.25	3.92	-1.83	1.19
Chrysene	1.59	-2.30	7.60	0.419	5.99	2.10	3.89	3.71	4.31	-2.30	1.59
							_	_	_	_	_
$\operatorname{Dibenz}[a,h]$ -	1.43	-2.07	7.38		5.83	2.33	3.54	3.84	_	-2.11	1.47
anthracene							3.15	4.23		-1.72	1.08
Perylene	1.04	-1.69	7.00	_	5.44	2.71	2.86	4.14	_	-1.82	1.17
							3.67	3.33		-2.63	1.98
Pyrene	1.28	-2.09	7.41	0.579	5.68	2.31	3.72	3.69	4.30	-2.44	1.63
							3.34	4.07	3.92	-2.06	1.25
Benz[a]pyrene	1.16	-1.87	7.12		5.56	2.53	3.23	3.90	-	-2.07	1.36
							3.08	4.04	_	-1.92	1.26
Coronene	1.35	-2.08	7.36	_	5.75	2.32	3.63	3.73	-	-2.28	1.55
							2.90	4.46		-1.55	0.82

a) Data were taken from Ref. (4), (15, 16), (17, 18), (7, 19, 20) for electrochemical data, IP, EA, and UV (in organic solvents) energies, respectively. Data in parentheses for $E_{1/2}^{\rm red}$ and $E_{1/2}^{\rm red}$ were the calculated values using the relation between electrochemical potentials and molecular orbital energies. (b) The upper and the lower side numbers for each substance are for the $^{1}L_{a}$ and $^{1}L_{b}$ excited states, respectively.

The solvation energy difference between a monocation in the ground state and a neutral species in a $\Delta E^{\rm UV}$ excited state is denoted by $\Delta E_{\rm solv}^{+\,\rm exc}$. Also, $\Delta E_{\rm solv}^{-\,\rm exc}$ has a meaning similar to the $\Delta E_{\rm solv}^{+\,\rm exc}$ except for replacing the monocation by the monoanion. We now calculate the values of $(E_{\rm 1/2\,-exc}^{\rm oxd}-E_{\rm 1/2}^{\rm oxd})$ and $(E_{\rm 1/2\,-exc}^{\rm red}-E_{\rm 1/2}^{\rm red})$ by using the Eqs. 3 and 5 for the former and Eqs. 4 and 6 for the latter. The Eqs. 7 and 8 are finally obtained.⁸⁾

$$E_{1/2 \cdot \text{exc}}^{\text{oxd}} = E_{1/2}^{\text{oxd}} - (\Delta E^{\text{UV}} + E_{\text{solv}}^{\text{exc}} - E_{\text{solv}}) = E_{1/2}^{\text{oxd}} - \Delta E_{\text{solv}}^{\text{UV}}$$
 (7)

$$E_{1/2 \cdot \text{exc}}^{\text{red}} = E_{1/2}^{\text{red}} + (\Delta E^{\text{UV}} + E_{\text{solv}}^{\text{exc}} - E_{\text{solv}}) = E_{1/2}^{\text{red}} + \Delta E_{\text{solv}}^{\text{UV}}$$
(8)

It should be noted here that, as mentioned above, $\Delta E_{\rm solv}^{+\cdot\,{\rm exc}}=(E_{\rm solv}^{+}-E_{\rm solv}^{\rm exc})$ and $\Delta E_{\rm solv}^{+}=(E_{\rm solv}^{+}-E_{\rm solv})$, so, $(\Delta E_{\rm solv}^{+\cdot\,{\rm exc}}-\Delta E_{\rm solv}^{+})=-(E_{\rm solv}^{\rm exc}-E_{\rm solv})$. Because of $\Delta E^{\rm UV}=E_{\rm solv}^{\rm exc}-E_{\rm t}$ in the vapor state, the value of the term $(\Delta E^{\rm UV}+E_{\rm solv}^{\rm exc}-E_{\rm solv})$ turns out to be $[(E_{\rm t}^{\rm exc}+E_{\rm exc}^{\rm exc})-(E_{\rm t}+E_{\rm solv})]=\Delta E_{\rm solv}^{\rm UV}$, which corresponds to the 0-0 transition energy in solvents, 13) this solvent being recommended as the same employed for the potential measurement. We now do a treatment similar to the derivation of Eq. 7 for the evaluation of the term of $(E_{1/2\cdot \rm exc}^{\rm red}-E_{1/2}^{\rm red})$. When one calculates the value of $(\Delta E_{\rm solv}^{\rm red}-\Delta E_{\rm solv}^{\rm red})$ using the relation of $\Delta E_{\rm solv}^{-\rm rec}=(E_{\rm solv}^{\rm exc}-E_{\rm solv}^{\rm exc})$, the value comes

out to be $(E_{\text{solv}}^{\text{exc}} - E_{\text{solv}})$. Accordingly the extreme right hand term of Eq. 8 is easily derived. The sum of Eqs. 7 and 8 leads to Eq. 9. This is an interesting and important relation.

$$(E_{1/2 \cdot \text{exc}}^{\text{oxd}} + E_{1/2 \cdot \text{exc}}^{\text{red}}) = (E_{1/2}^{\text{oxd}} + E_{1/2}^{\text{red}})$$
(9)

It is well-known that the sum $(E_{1/2}^{\text{oxd}} + E_{1/2}^{\text{red}})$ becomes constant in the case of BAH.^{2,4)} Therefore it is interesting that this constancy is also true for the oxidation and reduction potentials in photoexcited states of BAH. In Table 1 are listed the potentials of $E_{1/2 \cdot \text{exc}}^{\text{oxd}}$ and $E_{1/2 \cdot \text{exc}}^{\text{red}}$ calculated at the $^{1}\text{L}_{\text{a}}$ and $^{1}\text{L}_{\text{b}}$ excited states of BAH and also the other physical constants necessary for evaluating those potentials. The following is an important property of BAH. As was verified in the forementioned papers, $^{2,7,9,10)}$ Eq. 10 connecting oxidation–reduction potentials and singlet or triplet electronic transition energies is generally valid.¹¹⁾

$$(E_{1/2}^{\text{oxd}} - E_{1/2}^{\text{red}}) = k_1^{1/3} \Delta E_{\text{ho} \to \text{lu}}^{\text{UV}} + k_2$$
 (10)

For the case of BAH Eq. 10 was surprisingly satisfactory for the correlation of $(E_{1/2}^{\text{oxd}}-E_{1/2}^{\text{red}})$ to the $^{1}\text{L}_{\text{a}}$ excitation energy $(\Delta E_{\text{ho}\to\text{lu}}^{\text{UV}})$, and the constant terms k_{1} and k_{2} were 1.011 and -0.001, respectively.^{2,7)} Here, the

spectral data employed for BAH were those in organic solvents. The solvents of the content of the spectral data employed for BAH were those in organic solvents. The solvents of the content of the cont

Electron-Transfer Interaction in Photoexcited States. Let us now consider the electron-transfer interaction from an excited donor molecule D^* to a ground state acceptor A. This interaction may cause an ion-pair formation ${}^2D^+...^2A^-$ in solution occuring through an intermediate encounter complex. Referring to the Mulliken type CT process^{12,13)} this energy (ΔF) may be expressed by

$$\Delta F = IP_{\text{solv}}^{\text{D} \cdot \text{exc}} - EA_{\text{solv}}^{\text{A}} - e^2/\varepsilon \cdot a \tag{11}$$

where the term $-e^2/\varepsilon \cdot a$ is the Coulombic stabilization energy of the ion-pair in solution with the dielectric constant ε , a being the cavity radius. Keeping in mind the aforementioned equations that are $IP^{\rm exc}=IP-\Delta E^{\rm UV}$ and Eq. 3, we can easily derive the equation $IP^{\rm exc}_{\rm solv}=(IP_{\rm solv}-\Delta E^{\rm UV}_{\rm solv})$ (see the Appendix for details). Also, starting from the Eq. 4 and $EA^{\rm exc}=EA+\Delta E^{\rm UV}$ we can obtain the equation $EA^{\rm exc}_{\rm solv}=(EA_{\rm solv}+\Delta E^{\rm UV}_{\rm solv})$ by a treatment similar to the derivation of $IP^{\rm exc}_{\rm solv}$ (see Appendix). Let us now modify the Eq. 11 by introducing the relation $IP^{\rm D-exc}_{\rm solv}=IP^{\rm D}_{\rm solv}-\Delta E^{\rm D-UV}_{\rm solv}$ for $IP^{\rm D-exc}_{\rm solv}$ to get $\Delta F=IP^{\rm D}_{\rm solv}-EA^{\rm A}_{\rm solv}-\Delta E^{\rm D-UV}_{\rm solv}-e^2/\varepsilon \cdot a$, which follows Eq. 12 by the application of Eqs. 3 and 4.

$$\Delta F = E_{1/2}^{\text{D-oxd}} - E_{1/2}^{\text{A-red}} - \Delta E_{\text{solv}}^{\text{D-UV}} - e^2/\varepsilon \cdot a$$
 (12)

When an electron transfer from a ground state donor D to an excited acceptor A^* occurs, ΔF is written as

$$\Delta F = IP_{\text{solv}}^{D} - EA_{\text{solv}}^{A \cdot \text{exc}} - e^{2}/\varepsilon \cdot a \tag{13}$$

Applying the formula $EA_{\text{solv}}^{\text{A·exc}} = EA_{\text{solv}}^{\text{A}} + \Delta E_{\text{solv}}^{\text{A·UV}}$ and Eqs. 3 and 4 to the Eq. 13 it is also possible to derive Eq. 14

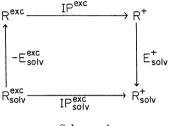
$$\Delta F = E_{1/2}^{\text{D·oxd}} - E_{1/2}^{\text{A·red}} - \Delta E_{\text{solv}}^{\text{A·UV}} - e^2 / \varepsilon \cdot a$$
 (14)

which has the same form as that of Eq. 12, except for the difference of $\Delta E_{\rm solv}^{\rm D \cdot UV}$ and $\Delta E_{\rm solv}^{\rm A \cdot UV}$ It is a surprising result that in spite of the photoexcitation of different molecular species, i.e., electron donor or acceptor, the equation finally obtained has the same form. Note that this equation is of the same type as that employed by Rehm and Weller.⁵⁾ They first gave this type of equation from the semiempirical concept in order to

interpret the fluorescence quenching phenomena through an electron transfer immediately following an encounter complex formation in photoexcited states. ¹⁴⁾ Accordingly our derivation of Eqs. 12 and 14 has turned out to verify theoretically the above Rehm and Weller's empirical equation.

Appendix

Considering the energy cycle shown in Scheme 1 the $IP_{\rm solv}^{\rm exc}$ is given by $IP_{\rm solv}^{\rm exc}=IP^{\rm exc}+E_{\rm solv}^+-E_{\rm solv}^{\rm exc}$ in which the term of $(E_{\rm solv}^+-E_{\rm solv}^+)$ is rewritten like $[(E_{\rm solv}^+-E_{\rm solv})-(E_{\rm solv}^{\rm exc}-E_{\rm solv})]=[\Delta E_{\rm solv}^+-\Delta E_{\rm solv}]$, so that $IP_{\rm solv}^{\rm exc}=IP^{\rm exc}+\Delta E_{\rm solv}^+-\Delta E_{\rm solv}$. Since $IP^{\rm exc}=IP-\Delta E^{\rm UV}$, $IP_{\rm solv}^{\rm exc}=IP-\Delta E^{\rm UV}+\Delta E_{\rm solv}^+-\Delta E_{\rm solv}$, thus $IP_{\rm solv}^{\rm exc}=(IP+\Delta E_{\rm solv}^+)-(\Delta E^{\rm UV}+\Delta E_{\rm solc})$. The first term of the right-hand-side equation equals $IP_{\rm solv}$ (Eq. 3), and the second term is expressed by $(E_{\rm t}^{\rm exc}-E_{\rm t}+E_{\rm solv}^{\rm exc}-E_{\rm solv})=(E_{\rm t}^{\rm exc}+E_{\rm solv}^{\rm exc})-(E_{\rm t}+E_{\rm solv})=\Delta E_{\rm solv}^{\rm UV}$. We can then obtain $IP_{\rm solv}^{\rm exc}=IP_{\rm solv}-\Delta E_{\rm solv}^{\rm UV}$.



Scheme 1.

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